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High-performance xPU Stencil Computations in Julia

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ABSTRACT

We present an efficient approach for writing architecture-agnostic parallel high-performance stencil computations in Julia, which is instantiated in the package ParallelStencil.jl. Powerful metaprogramming, costless abstractions and multiple dispatch enable writing a single code that is suitable for both productive prototyping on a single CPU thread and high performance production runs on GPU or CPU workstations or, if used in combination with distributed parallelization packages as ImplicitGlobalGrid.jl, on supercomputers. We demonstrate performance close to the theoretical upper bound on GPUs for a 3-D heat diffusion solver, which is a massive improvement over reachable performance with CUDA. jl Array programming.

Keywords

Julia, xPU, GPU, Stencil Computations, Code Generation, Architecture-agnostic, Shared Memory Parallelization, Communication-Computation Overlap, Supercomputing

1. Introduction

Graphics processing units (GPUs) capable of general-purpose computing have revolutionized the hardware industry and as a result High Performance Computing (HPC) since the dawn of the $21st$ century. While industry and academia are doing their best to adapt their software to the new hardware landscape, the latter continues to be reshaped constantly. In addition, new unconventional highly innovative hardware developments driven by the powerful AI industry (e.g. the Cerebras WSEs and Graphcore IPUs) draw up yet the next potential hardware revolution. In the light of the high pace and increasing diversity in hardware evolution, the HPC community has identified the 3 "P"s - (scalable) Performance, (performance) Portability and Productivity - as fundamental requirements for today's and tomorrow's software development. The approach and package development presented in this paper responds to each of the 3 "P"s. We present an approach for automatic parallelization and optimization of architecture-agnostic stencil computations deployable on both GPU and CPU (in the remainder we use xPU to refer simultaneously to GPU and CPU); the computations can furthermore automatically hide the communication needed for distributed parallelization as required for large scale supercomputing (note that the distributed parallelization itself is not part of this contribution).

```
using ParallelStencil
       using ParallelStencil. FiniteDifferences3D
       Cinit_parallel_stencil (CUDA, Float64, 3)
       @ parallel memopt=true optvars=T function step! (
 6 T2, T, Ci, lam, dt, _dx, _dy, _dz)<br>7 @inn(T2) = @inn(T) + dt*(
                        lam * @inn(Ci) * ( @d2_xi(T) * _d x^2 +9 Qd2_yi(T)*_dy^2 + Qd2_zi(T)*_dz^2)\begin{array}{c|c}\n\text{11} & \text{return} \\
\text{12} & \text{end}\n\end{array}end
14 function diffusion3D()
15 # Physics<br>16 1am = 1.0
\begin{array}{lll} 16 & 1\text{ am} & = & 1.0 & \text{#Thermal conductivity} \\ 17 & 0 & = & 2.0 & \text{#Heat capacity} \end{array}17 c0 = 2.0 #Heat capacity<br>
1x = 1y = 1z = 1.0 #Domain length
                                                                     #Domain length x|y|z
20 \# Numerics<br>21 nx = ny = nz = 51221 nx=ny=nz = 512 #Nb gridpoints x|y|z<br>22 nt = 100 #Nb time steps
\frac{1}{23} dx = \frac{1}{x} = \frac{1}{x} (nx-1) #Space step in x<br>
\frac{dy}{dx} = \frac{1}{x} (ny-1) #Space step in y<br>
\frac{dz}{dx} = \frac{1}{x} (nz-1) #Space step in z
24 dy = \frac{1}{2}y \cdot \frac{1}{n} = \frac{1}{2}y \cdot \frac{1}{n} = \frac{1}{2}z \cdot \frac\frac{dz}{26} dz = \frac{1}{2} = \lfloor -dx \rfloor, \lfloor dy \rfloor, \lfloor dz \rfloor = 1.0 / dx, 1.0 / dy, 1.0 / dz\begin{array}{ccc} 28 & \text{# Initial conditions} \\ 29 & \text{T} & = & \text{Qones} \text{ (nx . nv .nz)} \end{array}T = \texttt{Qones(nx, ny, nz)}.*1.7 \text{ #Temperature}<br>30 T2 = \texttt{copy(T)} # Temperature
T2 = \text{copy (T)} # Temperature (2nd)<br>31 \text{Ci} = \text{Qones (nx, ny, nz)}./c0 #1/Heat capacity
               Ci = Cones (nx, ny, nz)./c0 #1/ Heat capacity
33 # Time loop
\frac{34}{34} dt = min(dx^2, dy<sup>2</sup>, dz<sup>2</sup>)/lam/maximum(Ci)/6.1
\begin{array}{ccc} 35 \\ 36 \end{array} for it = 1:nt
36 Change Construction Contractor Step! (
T2, T, Ci, lam, dt, _dx,
\begin{array}{ccccccccc}\n & & & & & \text{T2, T, Ci, lam, dt, -dx, -dy, -dz)}\n & & & & & \text{T, T2 = T2, T}\n\end{array}39 end
41 e n d
       diffusion3D()
```
Fig. 1. Stencil-based 3-D heat diffusion xPU solver implemented using ParallelStencil with time step kernel written in math-close notation.

2. Approach

Our approach for the expression of architecture-agnostic highperformance stencil computations relies on the usage of Julia's powerful metaprogramming capacities, costless high-level abstractions and multiple dispatch. We have instantiated the approach in

Fig. 2. Effective memory throughput T_{eff} (and conversion to Gpts/s) for Nvidia Tesla A100 SXM4 and P100 PCIe GPUs, respectively, and for 2 x 16 Core AMD EPYC 7282 and 12 Core Intel Xeon E5-2690 v3 CPUs, respectively. The error bars visualize the 95% confidence interval of the reported medians (20 samples). The raw data and plotting script are available in [github.com/omlins/ParallelStencil.jl/](github.com/omlins/ParallelStencil.jl/tree/JuliaConProceeding2022/paper) [tree/JuliaConProceeding2022/paper](github.com/omlins/ParallelStencil.jl/tree/JuliaConProceeding2022/paper).

the Julia package ParallelStencil.jl. Using ParallelStencil, a simple call to the macro @parallel is sufficient to parallelize and launch a kernel that contains stencil computations, which can be expressed explicitly or with math-close notation. The latter is defined in isolated submodules (e.g., line 2) that are easily understandable and extensible by domain scientists in order to support new numerical methods (currently available is math-close notation for finite differences). Fig. [1](#page-0-0) shows a stencil-based 3-D heat diffusion xPU solver implemented using ParallelStencil, where the kernel defining an explicit time step is written in math-close notation (lines 5-12) and the macro @parallel is used for its parallelization (line 5) and launch (line 36).

The package used underneath for parallelization is defined in a initialization call beforehand (Fig. [1,](#page-0-0) line 3). Currently supported are CUDA.jl [\[1\]](#page-1-0) for running on GPU, and Base.Threads for CPU. Leveraging metaprogramming, ParallelStencil automatically generates high-performance code suitable for the target hardware, and automatically derives kernel launch parameters from the kernel arguments by analyzing the bounds of the contained arrays. Certain stencil-computation-specific optimizations leveraging, e.g., the on-chip memory of GPUs need to be activated with keyword arguments to the macro @parallel (Fig. [1,](#page-0-0) line 5). A set of architecture-agnostic low level kernel language constructs allows for explicit low level kernel programming when useful, e.g., for the explicit control of shared memory on the GPU (these low level constructs are GPU-computing-biased).

Arrays are automatically allocated on the hardware chosen for the computations (GPU or CPU) when using the allocation macros provided by ParallelStencil (Fig. [1,](#page-0-0) lines 29-31), avoiding any need of code duplication. Moreover, the allocation macros are fully declarative in order to let ParallelStencil choose the best data layout in memory. Notably, logical arrays of structs (or of small arrays) can be either laid out in memory as arrays of structs or as structs of arrays accounting for the fact that each of these allocation approaches has its use cases where it performs best.

ParallelStencil is seamlessly interoperable with packages for distributed parallelization, as e.g. ImplicitGlobalGrid.jl [\[4\]](#page-2-0) or MPI.jl, in order to enable high-performance stencil computations on GPU or CPU supercomputers. Communication can be hidden behind computation with as simple macro call [\[4\]](#page-2-0). The usage of this feature solely requires that communication can be triggered explicitly as it is possible with, e.g., ImplicitGlobalGrid and MPI.jl.

3. Results

We here report the performance achieved on different architectures with the 3-D heat diffusion xPU solver (Fig. [1\)](#page-0-0) and of an equivalent solver with explicit notation for the stencil computations and compare it to the performance obtained with a Julia solver written in a traditional way using GPU or CPU array broadcasting. We observe that using ParallelStencil we achieve an effective memory throughput, T_{eff} , of 496 GB/s and 1262 GB/s on the Nvidia P100 and A100 GPUs, which can reach a peak throughput, $T_{\rm peak}$, of 559 GB/s and 1370 GB/s, respectively [\[2\]](#page-1-1); this means we reach 89% and 92% of the respective hardware's theoretical performance upper bound $(T_{\text{eff}}$ and its interpretation are explained, e.g., in [\[6\]](#page-2-1)). Furthermore, using ParallelStencil we obtain a speedup of up to a factor \approx 5 and \approx 29 over the versions with GPU and CPU array broadcasting (the latter is not capable of multi-threading), respectively. Moreover, we have translated solvers for highly nonlinear 3-D poro-visco-elastic two-phase flow and 3-D reactive porosity waves written in CUDA C using MPI to Julia by employing ParallelStencil (and Implicit-GlobalGrid for the distributed parallelization) and compared obtained performance. The translated solvers achieved 90% and 98% of the performance of the respective original CUDA C solvers. In addition, relying on ParallelStencil's feature to hide communication behind computation, the 3-D poro-visco-elastic two-phase flow solver achieved over 95% parallel efficiency on up to 1024 GPUs [\[4\]](#page-2-0).

4. Conclusions

We have shown that ParallelStencil enables scalable performance, performance portability and productivity and responds to the challenge of addressing the 3 "P"s in all of its aspects. Moreover, we have outlined the effectiveness and wide applicability of our approach within geosciences. Our approach is naturally in no sense limited to geosciences as stencil computations are commonly used in many disciplines across all of science. We illustrated this in recent contributions, where we showcased a computational cognitive neuroscience application modelling visual target selection using ParallelStencil and MPI.jl [\[5\]](#page-2-2) and a quantum fluid dynamics solver using the nonlinear Gross-Pitaevski equation implemented with ParallelStencil (and ImplicitGlobalGrid) [\[3\]](#page-2-3).

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